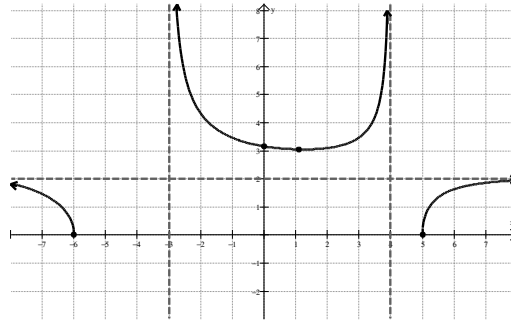


Round to 3 decimal places. Show all work.



1. Which of the following sign patterns apply to the graph above?

I. 
$$\begin{array}{cccccccc} & + & 0 & - & \text{DNE} & + & \text{DNE} & - & 0 & + \\ y & & & & & & & & & \\ x & \leftarrow & -6 & & -3 & & 4 & & 5 & \rightarrow \end{array}$$

II. 
$$\begin{array}{cccccccc} & + & 0 & - & \text{DNE} & + & \text{DNE} & - & 0 & + \\ y^2 & & & & & & & & & \\ x & \leftarrow & -6 & & -3 & & 4 & & 5 & \rightarrow \end{array}$$

III. 
$$\begin{array}{cccccccc} & - & \text{DNE} & & \text{DNE} & - & 0 & + & \text{DNE} & & \text{DNE} & + \\ \frac{dy}{dx} & & & & & & & & & & & \\ x & \leftarrow & -6 & & -3 & & 1 & & 4 & & 5 & \rightarrow \end{array}$$

a) I only

b) II only

c) I and II only

d) II and III only

e) I, II, and III

2. At what approximate rate (in cubic meters per minute) is the volume of a sphere changing at the instant when the surface area is 2 square meters and the radius is increasing at the rate of  $1/3$  meters per minute?

- a) 0.667      b) 1.080      c) 0.700      d) 2.128      e) 1.714
- 

3. The absolute minimum of  $y = \sqrt{25 - x^2}$  on  $x \in [-2, 4]$  is

- a) -2      b) 0      c) 5      d)  $\sqrt{21}$       e) 3
-

4. Use Implicit Differentiation to find the points on  $x^3 - y^2 + x^2 - 1 = 0$  which have horizontal tangent lines.

- a)  $(0, \pm 1)$
  - b)  $(-1.5, 0)$  only
  - c)  $\left(-\frac{2}{3}, \pm 1.072\right)$  only
  - d)  $(0, \pm 1)$  and  $\left(-\frac{2}{3}, \pm 1.072\right)$
  - e) The tangent line is never horizontal
- 

5. Let  $f(x)$  be the function with  $f(1) = 2$  and  $f'(x) = \sqrt{x^2 + 3}$ . Using the tangent line approximation to the graph of  $f(x)$  at  $x=1$ , estimate  $f(0.98)$ .

- a. 1.99    b. 1.98    c. 1.97    d. 1.96    e. 1.95
-

6. Given the functions  $f(x)$  and  $g(x)$  that are both continuous and differentiable, and that have values given on the table below.

$x$	$f(x)$	$f'(x)$	$g(x)$	$g'(x)$
2	4	-2	8	1
4	10	8	4	3
8	6	-12	2	4

Given that  $h(x) = f(g(x))$ ,  $h'(2) =$

- a) -16      b) -12      c) -1      d) 2      e) 10
- 

7. Find the absolute maximum value of  $y = \sqrt{36 - x^2}$  on the interval  $x \in [-2, 2]$ .

- a) -2      b) 0      c) 2      d)  $4\sqrt{2}$       e) 6
-

PreCalculus Honors '17-18

Name: \_\_\_\_\_

Dr. Quattrin

Radical Functions Test -- CALCULATOR ALLOWED

Round to 3 decimal places.

Score \_\_\_\_\_

Show all work.

1. Find the zeros and Domain of  $y = -\sqrt{x^3 - 7x + 6}$ . Show the algebraic work to support the zeros and critical values.

Zeros:

Domain:

2. Find the Extreme Points of  $y = -\sqrt{x^3 - 7x + 6}$ . Show the algebraic work to support the zeros and critical values.

Extreme Points:

3. Find the zeros, VAs, and domain of  $y = \sqrt{\frac{x^2 - 5}{x^2 - 9}}$  on  $x \in [-4, 5]$ . Show the Algebra that supports your answer.

Zeros:

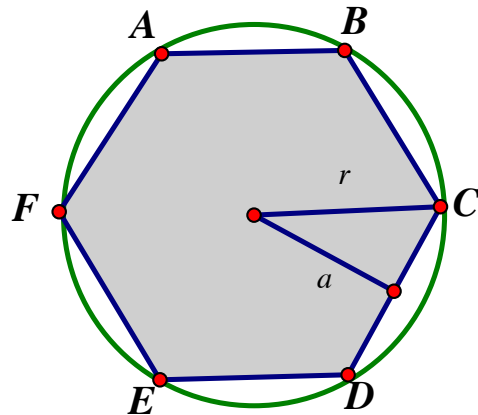
VAs:

Domain:

4. Find the Extreme Points of  $y = \sqrt{\frac{x^2 - 5}{x^2 - 9}}$  on  $x \in [-4, 5]$ . Show the Algebra and derivative that supports your answer.

Extreme Points:

5. A regular hexagon is inscribed in a circle. The circle's circumference is expanding at  $4\pi$  in/sec and the hexagon maintains the contact of its corners with the circle.



Given that the area of a regular hexagon is equal to half the apothem  $a$  times the perimeter  $p$ , find out how fast the area inside the circle but outside the hexagon is expanding when the area of the circle is  $64\pi$  in. [Hint: Find  $p$  and  $a$  in terms of  $r$ .]

6. A particular velocity function is given by the equation

$$v(t) = \sqrt{\left[ \left( \frac{E(t)}{3} + 3t \right)^{3/7} - 4 \right]}. \text{ What is the equation for the acceleration?}$$



PreCalculus Honors '17-18

Name: \_\_\_\_\_

Dr. Quattrin

Radical Functions Test – NO CALCULATOR ALLOWED

Show all work.

7. Find the traits and **sketch**  $y = -\sqrt{x^3 - 7x + 6}$ .

Domain:

Range:

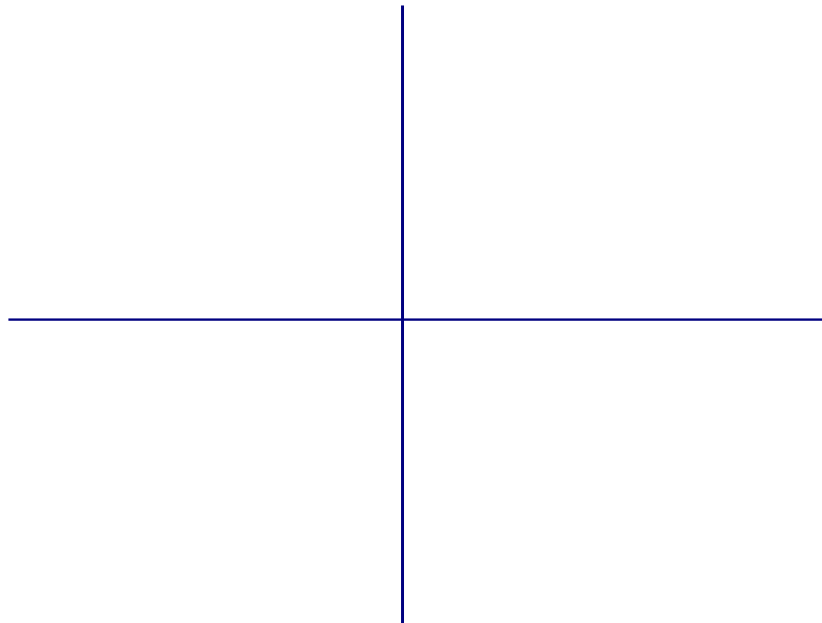
Y – Int:

Zeros:

Extreme Points:

End Behavior (Left):

End Behavior (Right):



8. List the traits and **sketch** of  $y = \sqrt{\frac{x^2 - 5}{x^2 - 9}}$  on  $x \in [-4, 5]$ .

Domain:

Range:

Y – Int:

VAs:

Zeros:

Extreme Points:

End Behavior (Left):

End Behavior (Right):

